

TimesQuest — Flashcards

A Spark & Anvil printable flashcard deck. Quiz yourself on the TimesQuest cast's curriculum — one card at a time.

How to use these cards

Fold each sheet down the middle line so the answers are hidden. Read the **question** on the left, say your answer out loud, then **unfold** to check the right side. Testing yourself — then checking — is one of the most powerful ways to remember. Get one wrong? That's the best kind of practice: try it again tomorrow.

Want real flashcards? Cut along the fold line and the rows into cards — question on one side, answer on the other.

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TimesQuest — Flashcards

How to use these cards

1. Equal Groups & Arrays
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Keep going

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1. Equal Groups & Arrays

⌕ Question (fold →)	Answer
There are 8 baskets. Each basket holds 9 apples. How many apples in all?	72 — 8 equal groups of 9 is $8 \times 9 = 72$. Building it as an array — 8 rows with 9 in each row — shows why: every row is the same, so you add 9 a total of 8 times.
There are 8 baskets. Each basket holds 5 apples. How many apples in all?	40 — 8 equal groups of 5 is $8 \times 5 = 40$. Building it as an array — 8 rows with 5 in each row — shows why: every row is the same, so you add 5 a total of 8 times.
There are 6 baskets. Each basket holds 7 apples. How many apples in all?	42 — 6 equal groups of 7 is $6 \times 7 = 42$. Building it as an array — 6 rows with 7 in each row — shows why: every row is the same, so you add 7 a total of 6 times.
There are 3 baskets. Each basket holds 5 apples. How many apples in all?	15 — 3 equal groups of 5 is $3 \times 5 = 15$. Building it as an array — 3 rows with 5 in each row — shows why: every row is the same, so you add 5 a total of 3 times.
There are 6 baskets. Each basket holds 2 apples. How many apples in all?	12 — 6 equal groups of 2 is $6 \times 2 = 12$. Building it as an array — 6 rows with 2 in each row — shows why: every row is the same, so you add 2 a total of 6 times.
There are 7 baskets. Each basket holds 9 apples. How many apples in all?	63 — 7 equal groups of 9 is $7 \times 9 = 63$. Building it as an array — 7 rows with 9 in each row — shows why: every row is the same, so you add 9 a total of 7 times.
There are 7 baskets. Each basket holds 5 apples. How many apples in all?	35 — 7 equal groups of 5 is $7 \times 5 = 35$. Building it as an array — 7 rows with 5 in each row — shows why: every row is the same, so you add 5 a total of 7 times.
There are 3 baskets. Each basket holds 8 apples. How many apples in all?	24 — 3 equal groups of 8 is $3 \times 8 = 24$. Building it as an array — 3 rows with 8 in each row — shows why: every row is the same, so you add 8 a total of 3 times.
There are 4 baskets. Each basket holds 7 apples. How many apples in all?	28 — 4 equal groups of 7 is $4 \times 7 = 28$. Building it as an array — 4 rows with 7 in each row — shows why: every row is the same, so you add 7 a total of 4 times.
There are 7 baskets. Each basket holds 8 apples. How many apples in all?	56 — 7 equal groups of 8 is $7 \times 8 = 56$. Building it as an array — 7 rows with 8 in each row — shows why: every row is the same, so you add 8 a total of 7 times.
There are 10 baskets. Each basket holds 8 apples. How many apples in all?	80 — 10 equal groups of 8 is $10 \times 8 = 80$. Building it as an array — 10 rows with 8 in each row — shows why: every row is the same, so you add 8 a total of 10 times.
There are 10 baskets. Each basket holds 3 apples. How many apples in all?	30 — 10 equal groups of 3 is $10 \times 3 = 30$. Building it as an array — 10 rows with 3 in each row — shows why: every row is the same, so you add 3 a total of 10 times.
There are 3 baskets. Each basket holds 10 apples. How many apples in all?	30 — 3 equal groups of 10 is $3 \times 10 = 30$. Building it as an array — 3 rows with 10 in each row — shows why: every row is the same, so you add 10 a total of 3 times.

There are 3 baskets. Each basket holds 4 apples. How many apples in all?	12 — 3 equal groups of 4 is $3 \times 4 = 12$. Building it as an array — 3 rows with 4 in each row — shows why: every row is the same, so you add 4 a total of 3 times.
There are 10 baskets. Each basket holds 10 apples. How many apples in all?	100 — 10 equal groups of 10 is $10 \times 10 = 100$. Building it as an array — 10 rows with 10 in each row — shows why: every row is the same, so you add 10 a total of 10 times.
There are 5 baskets. Each basket holds 8 apples. How many apples in all?	40 — 5 equal groups of 8 is $5 \times 8 = 40$. Building it as an array — 5 rows with 8 in each row — shows why: every row is the same, so you add 8 a total of 5 times.
There are 8 baskets. Each basket holds 3 apples. How many apples in all?	24 — 8 equal groups of 3 is $8 \times 3 = 24$. Building it as an array — 8 rows with 3 in each row — shows why: every row is the same, so you add 3 a total of 8 times.
There are 4 baskets. Each basket holds 2 apples. How many apples in all?	8 — 4 equal groups of 2 is $4 \times 2 = 8$. Building it as an array — 4 rows with 2 in each row — shows why: every row is the same, so you add 2 a total of 4 times.
There are 10 baskets. Each basket holds 2 apples. How many apples in all?	20 — 10 equal groups of 2 is $10 \times 2 = 20$. Building it as an array — 10 rows with 2 in each row — shows why: every row is the same, so you add 2 a total of 10 times.
There are 2 baskets. Each basket holds 8 apples. How many apples in all?	16 — 2 equal groups of 8 is $2 \times 8 = 16$. Building it as an array — 2 rows with 8 in each row — shows why: every row is the same, so you add 8 a total of 2 times.

2. Arrays & Turn-Arounds

⌂ Question (fold →)	Answer
An array of 2 rows and 8 columns shows $2 \times 8 = 16$. Which array also equals 16?	8×2 — Rotating the array swaps rows and columns: $2 \times 8 = 8 \times 2 = 16$. This is the commutative property — order doesn't change the product.
An array of 2 rows and 4 columns shows $2 \times 4 = 8$. Which array also equals 8?	4×2 — Rotating the array swaps rows and columns: $2 \times 4 = 4 \times 2 = 8$. This is the commutative property — order doesn't change the product.
An array has 2 rows with 3 dots in each row. How many dots?	6 — 2 rows of 3 is $2 \times 3 = 6$. An array turns repeated equal groups into a rectangle you can count by rows.
An array of 5 rows and 9 columns shows $5 \times 9 = 45$. Which array also equals 45?	9×5 — Rotating the array swaps rows and columns: $5 \times 9 = 9 \times 5 = 45$. This is the commutative property — order doesn't change the product.
An array has 8 rows with 10 dots in each row. How many dots?	80 — 8 rows of 10 is $8 \times 10 = 80$. An array turns repeated equal groups into a rectangle you can count by rows.
An array has 8 rows with 9 dots in each row. How many dots?	72 — 8 rows of 9 is $8 \times 9 = 72$. An array turns repeated equal groups into a rectangle you can count by rows.
An array has 3 rows with 6 dots in each row. How many dots?	18 — 3 rows of 6 is $3 \times 6 = 18$. An array turns repeated equal groups into a rectangle you can count by rows.
An array of 4 rows and 10 columns shows $4 \times 10 = 40$. Which array also equals 40?	10×4 — Rotating the array swaps rows and columns: $4 \times 10 = 10 \times 4 = 40$. This is the commutative property — order doesn't change the product.
An array has 5 rows with 6 dots in each row. How many dots?	30 — 5 rows of 6 is $5 \times 6 = 30$. An array turns repeated equal groups into a rectangle you can count by rows.
An array has 2 rows with 2 dots in each row. How many dots?	4 — 2 rows of 2 is $2 \times 2 = 4$. An array turns repeated equal groups into a rectangle you can count by rows.
An array of 3 rows and 8 columns shows $3 \times 8 = 24$. Which array also equals 24?	8×3 — Rotating the array swaps rows and columns: $3 \times 8 = 8 \times 3 = 24$. This is the commutative property — order doesn't change the product.
An array of 8 rows and 8 columns shows $8 \times 8 = 64$. Which array also equals 64?	8×8 — Rotating the array swaps rows and columns: $8 \times 8 = 8 \times 8 = 64$. This is the commutative property — order doesn't change the product.
An array has 2 rows with 10 dots in each row. How many dots?	20 — 2 rows of 10 is $2 \times 10 = 20$. An array turns repeated equal groups into a rectangle you can count by rows.
An array of 6 rows and 6 columns shows $6 \times 6 = 36$. Which array also equals 36?	6×6 — Rotating the array swaps rows and columns: $6 \times 6 = 6 \times 6 = 36$. This is the commutative property — order doesn't change the product.
An array of 5 rows and 5 columns shows $5 \times 5 = 25$. Which array also equals 25?	5×5 — Rotating the array swaps rows and columns: $5 \times 5 = 5 \times 5 = 25$. This is the commutative property — order doesn't change the product.
An array has 5 rows with 8 dots in each row. How many dots?	40 — 5 rows of 8 is $5 \times 8 = 40$. An array turns repeated equal groups into a rectangle you can count by rows.
An array has 3 rows with 9 dots in each row. How many dots?	27 — 3 rows of 9 is $3 \times 9 = 27$. An array turns repeated equal groups into a rectangle you can count by rows.
An array of 6 rows and 7 columns shows	7×6 — Rotating the array swaps rows and columns: $6 \times 7 = 7 \times 6 = 42$.

6 × 7 = 42. Which array also equals 42?	This is the commutative property — order doesn't change the product.
An array has 6 rows with 8 dots in each row. How many dots?	48 — 6 rows of 8 is 6 × 8 = 48. An array turns repeated equal groups into a rectangle you can count by rows.
An array of 3 rows and 7 columns shows 3 × 7 = 21. Which array also equals 21?	7 × 3 — Rotating the array swaps rows and columns: 3 × 7 = 7 × 3 = 21. This is the commutative property — order doesn't change the product.

3. Fair Shares

⌂ Question (fold →)	Answer
18 stickers are shared fairly among 9 friends. How many stickers does each friend get?	2 — $18 \div 9 = 2$. Sharing 18 into 9 equal groups puts 2 in each group, because $9 \times 2 = 18$.
16 stickers are shared fairly among 4 friends. How many stickers does each friend get?	4 — $16 \div 4 = 4$. Sharing 16 into 4 equal groups puts 4 in each group, because $4 \times 4 = 16$.
49 stickers are shared fairly among 7 friends. How many stickers does each friend get?	7 — $49 \div 7 = 7$. Sharing 49 into 7 equal groups puts 7 in each group, because $7 \times 7 = 49$.
63 stickers are shared fairly among 7 friends. How many stickers does each friend get?	9 — $63 \div 7 = 9$. Sharing 63 into 7 equal groups puts 9 in each group, because $7 \times 9 = 63$.
48 stickers are shared fairly among 6 friends. How many stickers does each friend get?	8 — $48 \div 6 = 8$. Sharing 48 into 6 equal groups puts 8 in each group, because $6 \times 8 = 48$.
64 stickers are shared fairly among 8 friends. How many stickers does each friend get?	8 — $64 \div 8 = 8$. Sharing 64 into 8 equal groups puts 8 in each group, because $8 \times 8 = 64$.
4 stickers are shared fairly among 2 friends. How many stickers does each friend get?	2 — $4 \div 2 = 2$. Sharing 4 into 2 equal groups puts 2 in each group, because $2 \times 2 = 4$.
50 stickers are shared fairly among 10 friends. How many stickers does each friend get?	5 — $50 \div 10 = 5$. Sharing 50 into 10 equal groups puts 5 in each group, because $10 \times 5 = 50$.
21 stickers are shared fairly among 7 friends. How many stickers does each friend get?	3 — $21 \div 7 = 3$. Sharing 21 into 7 equal groups puts 3 in each group, because $7 \times 3 = 21$.
15 stickers are shared fairly among 5 friends. How many stickers does each friend get?	3 — $15 \div 5 = 3$. Sharing 15 into 5 equal groups puts 3 in each group, because $5 \times 3 = 15$.
40 stickers are shared fairly among 5 friends. How many stickers does each friend get?	8 — $40 \div 5 = 8$. Sharing 40 into 5 equal groups puts 8 in each group, because $5 \times 8 = 40$.
70 stickers are shared fairly among 7 friends. How many stickers does each friend get?	10 — $70 \div 7 = 10$. Sharing 70 into 7 equal groups puts 10 in each group, because $7 \times 10 = 70$.
25 stickers are shared fairly among 5 friends. How many stickers does each friend get?	5 — $25 \div 5 = 5$. Sharing 25 into 5 equal groups puts 5 in each group, because $5 \times 5 = 25$.
40 stickers are shared fairly among 4 friends. How many stickers does each friend get?	10 — $40 \div 4 = 10$. Sharing 40 into 4 equal groups puts 10 in each group, because $4 \times 10 = 40$.
100 stickers are shared fairly among 10 friends. How many stickers does each friend get?	10 — $100 \div 10 = 10$. Sharing 100 into 10 equal groups puts 10 in each group, because $10 \times 10 = 100$.
16 stickers are shared fairly among 2 friends. How many stickers does each friend get?	8 — $16 \div 2 = 8$. Sharing 16 into 2 equal groups puts 8 in each group, because $2 \times 8 = 16$.
24 stickers are shared fairly among 8 friends. How many stickers does each friend get?	3 — $24 \div 8 = 3$. Sharing 24 into 8 equal groups puts 3 in each group, because $8 \times 3 = 24$.
21 stickers are shared fairly among 3 friends. How many stickers does each friend get?	7 — $21 \div 3 = 7$. Sharing 21 into 3 equal groups puts 7 in each group, because $3 \times 7 = 21$.

12 stickers are shared fairly among 6 friends. How many stickers does each friend get?	2 — $12 \div 6 = 2$. Sharing 12 into 6 equal groups puts 2 in each group, because $6 \times 2 = 12$.
18 stickers are shared fairly among 2 friends. How many stickers does each friend get?	9 — $18 \div 2 = 9$. Sharing 18 into 2 equal groups puts 9 in each group, because $2 \times 9 = 18$.

4. Fact Families

⌂ Question (fold →)	Answer
You know $4 \times 7 = 28$. So $28 \div 7 = ?$	4 — 4, 7, and 28 are one fact family: $4 \times 7 = 28$ and $28 \div 7 = 4$. Knowing the multiplication fact gives you the division fact free.
You know $4 \times 2 = 8$. So $8 \div 2 = ?$	4 — 4, 2, and 8 are one fact family: $4 \times 2 = 8$ and $8 \div 2 = 4$. Knowing the multiplication fact gives you the division fact free.
You know $7 \times 5 = 35$. So $35 \div 5 = ?$	7 — 7, 5, and 35 are one fact family: $7 \times 5 = 35$ and $35 \div 5 = 7$. Knowing the multiplication fact gives you the division fact free.
You know $5 \times 2 = 10$. So $10 \div 2 = ?$	5 — 5, 2, and 10 are one fact family: $5 \times 2 = 10$ and $10 \div 2 = 5$. Knowing the multiplication fact gives you the division fact free.
You know $6 \times 2 = 12$. So $12 \div 2 = ?$	6 — 6, 2, and 12 are one fact family: $6 \times 2 = 12$ and $12 \div 2 = 6$. Knowing the multiplication fact gives you the division fact free.
You know $2 \times 3 = 6$. So $6 \div 3 = ?$	2 — 2, 3, and 6 are one fact family: $2 \times 3 = 6$ and $6 \div 3 = 2$. Knowing the multiplication fact gives you the division fact free.
You know $4 \times 3 = 12$. So $12 \div 3 = ?$	4 — 4, 3, and 12 are one fact family: $4 \times 3 = 12$ and $12 \div 3 = 4$. Knowing the multiplication fact gives you the division fact free.
You know $6 \times 6 = 36$. So $36 \div 6 = ?$	6 — 6, 6, and 36 are one fact family: $6 \times 6 = 36$ and $36 \div 6 = 6$. Knowing the multiplication fact gives you the division fact free.
You know $5 \times 5 = 25$. So $25 \div 5 = ?$	5 — 5, 5, and 25 are one fact family: $5 \times 5 = 25$ and $25 \div 5 = 5$. Knowing the multiplication fact gives you the division fact free.
You know $6 \times 8 = 48$. So $48 \div 8 = ?$	6 — 6, 8, and 48 are one fact family: $6 \times 8 = 48$ and $48 \div 8 = 6$. Knowing the multiplication fact gives you the division fact free.
You know $10 \times 9 = 90$. So $90 \div 9 = ?$	10 — 10, 9, and 90 are one fact family: $10 \times 9 = 90$ and $90 \div 9 = 10$. Knowing the multiplication fact gives you the division fact free.
You know $10 \times 4 = 40$. So $40 \div 4 = ?$	10 — 10, 4, and 40 are one fact family: $10 \times 4 = 40$ and $40 \div 4 = 10$. Knowing the multiplication fact gives you the division fact free.
You know $5 \times 10 = 50$. So $50 \div 10 = ?$	5 — 5, 10, and 50 are one fact family: $5 \times 10 = 50$ and $50 \div 10 = 5$. Knowing the multiplication fact gives you the division fact free.
You know $10 \times 8 = 80$. So $80 \div 8 = ?$	10 — 10, 8, and 80 are one fact family: $10 \times 8 = 80$ and $80 \div 8 = 10$. Knowing the multiplication fact gives you the division fact free.
You know $3 \times 3 = 9$. So $9 \div 3 = ?$	3 — 3, 3, and 9 are one fact family: $3 \times 3 = 9$ and $9 \div 3 = 3$. Knowing the multiplication fact gives you the division fact free.
You know $7 \times 8 = 56$. So $56 \div 8 = ?$	7 — 7, 8, and 56 are one fact family: $7 \times 8 = 56$ and $56 \div 8 = 7$. Knowing the multiplication fact gives you the division fact free.
You know $4 \times 5 = 20$. So $20 \div 5 = ?$	4 — 4, 5, and 20 are one fact family: $4 \times 5 = 20$ and $20 \div 5 = 4$. Knowing the multiplication fact gives you the division fact free.
You know $5 \times 9 = 45$. So $45 \div 9 = ?$	5 — 5, 9, and 45 are one fact family: $5 \times 9 = 45$ and $45 \div 9 = 5$. Knowing the multiplication fact gives you the division fact free.

You know $3 \times 7 = 21$. So $21 \div 7 = ?$	3 — 3, 7, and 21 are one fact family: $3 \times 7 = 21$ and $21 \div 7 = 3$. Knowing the multiplication fact gives you the division fact free.
You know $2 \times 8 = 16$. So $16 \div 8 = ?$	2 — 2, 8, and 16 are one fact family: $2 \times 8 = 16$ and $16 \div 8 = 2$. Knowing the multiplication fact gives you the division fact free.

5. Break-Apart Strategy

✂ Question (fold →)	Answer
Which break-apart helps you find 9×8 using easier facts?	$(5 \times 8) + (4 \times 8)$ — Split 9 into 5 + 4, then multiply each part by 8: $(5 \times 8) + (4 \times 8)$. Both parts use the same 8, and $40 + 32 = 72 = 9 \times 8$.
To find 8×8 , split it: $(5 \times 8) + (3 \times 8) = 40 + 24 = ?$	64 — $8 \times 8 = (5+3) \times 8 = 40 + 24 = 64$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
Which break-apart helps you find 7×9 using easier facts?	$(5 \times 9) + (2 \times 9)$ — Split 7 into 5 + 2, then multiply each part by 9: $(5 \times 9) + (2 \times 9)$. Both parts use the same 9, and $45 + 18 = 63 = 7 \times 9$.
To find 8×7 , split it: $(5 \times 7) + (3 \times 7) = 35 + 21 = ?$	56 — $8 \times 7 = (5+3) \times 7 = 35 + 21 = 56$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
To find 8×9 , split it: $(5 \times 9) + (3 \times 9) = 45 + 27 = ?$	72 — $8 \times 9 = (5+3) \times 9 = 45 + 27 = 72$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
Which break-apart helps you find 8×6 using easier facts?	$(5 \times 6) + (3 \times 6)$ — Split 8 into 5 + 3, then multiply each part by 6: $(5 \times 6) + (3 \times 6)$. Both parts use the same 6, and $30 + 18 = 48 = 8 \times 6$.
Which break-apart helps you find 7×6 using easier facts?	$(5 \times 6) + (2 \times 6)$ — Split 7 into 5 + 2, then multiply each part by 6: $(5 \times 6) + (2 \times 6)$. Both parts use the same 6, and $30 + 12 = 42 = 7 \times 6$.
To find 6×6 , split it: $(5 \times 6) + (1 \times 6) = 30 + 6 = ?$	36 — $6 \times 6 = (5+1) \times 6 = 30 + 6 = 36$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
Which break-apart helps you find 7×7 using easier facts?	$(5 \times 7) + (2 \times 7)$ — Split 7 into 5 + 2, then multiply each part by 7: $(5 \times 7) + (2 \times 7)$. Both parts use the same 7, and $35 + 14 = 49 = 7 \times 7$.
Which break-apart helps you find 6×7 using easier facts?	$(5 \times 7) + (1 \times 7)$ — Split 6 into 5 + 1, then multiply each part by 7: $(5 \times 7) + (1 \times 7)$. Both parts use the same 7, and $35 + 7 = 42 = 6 \times 7$.
Which break-apart helps you find 6×7 using easier facts?	$(5 \times 7) + (1 \times 7)$ — Split 6 into 5 + 1, then multiply each part by 7: $(5 \times 7) + (1 \times 7)$. Both parts use the same 7, and $35 + 7 = 42 = 6 \times 7$.
To find 9×7 , split it: $(5 \times 7) + (4 \times 7) = 35 + 28 = ?$	63 — $9 \times 7 = (5+4) \times 7 = 35 + 28 = 63$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
To find 9×7 , split it: $(5 \times 7) + (4 \times 7) = 35 + 28 = ?$	63 — $9 \times 7 = (5+4) \times 7 = 35 + 28 = 63$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
To find 6×8 , split it: $(5 \times 8) + (1 \times 8) = 40 + 8 = ?$	48 — $6 \times 8 = (5+1) \times 8 = 40 + 8 = 48$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
Which break-apart helps you find 9×6 using easier facts?	$(5 \times 6) + (4 \times 6)$ — Split 9 into 5 + 4, then multiply each part by 6: $(5 \times 6) + (4 \times 6)$. Both parts use the same 6, and $30 + 24 = 54 = 9 \times 6$.
To find 7×8 , split it: $(5 \times 8) + (2 \times 8) = 40 + 16 = ?$	56 — $7 \times 8 = (5+2) \times 8 = 40 + 16 = 56$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
To find 7×8 , split it: $(5 \times 8) + (2 \times 8) = 40 + 16 = ?$	56 — $7 \times 8 = (5+2) \times 8 = 40 + 16 = 56$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
Which break-apart helps you find 6×9 using easier facts?	$(5 \times 9) + (1 \times 9)$ — Split 6 into 5 + 1, then multiply each part by 9: $(5 \times 9) + (1 \times 9)$. Both parts use the same 9, and $45 + 9 = 54 = 6 \times 9$.

Which break-apart helps you find 6×9 using easier facts?	$(5 \times 9) + (1 \times 9)$ — Split 6 into $5 + 1$, then multiply each part by 9: $(5 \times 9) + (1 \times 9)$. Both parts use the same 9, and $45 + 9 = 54 = 6 \times 9$.
To find 9×9 , split it: $(5 \times 9) + (4 \times 9) = 45 + 36 = ?$	81 — $9 \times 9 = (5+4) \times 9 = 45 + 36 = 81$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.

6. Equal Parts

⌂ Question (fold →)	Answer
A whole strip is split into 6 equal parts. What fraction is ONE part?	1/6 — When a whole is cut into 6 equal parts, each part is 1/6. The bottom number (6) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 6 equal parts. What fraction is ONE part?	1/6 — When a whole is cut into 6 equal parts, each part is 1/6. The bottom number (6) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 6 equal parts. What fraction is ONE part?	1/6 — When a whole is cut into 6 equal parts, each part is 1/6. The bottom number (6) tells how many equal parts make the whole; the top (1) says you have one of them.
How many 1/8 pieces make one whole?	8 — It takes 8 copies of 1/8 to make 1 whole: $8 \times 1/8 = 8/8 = 1$.
A whole strip is split into 8 equal parts. What fraction is ONE part?	1/8 — When a whole is cut into 8 equal parts, each part is 1/8. The bottom number (8) tells how many equal parts make the whole; the top (1) says you have one of them.
How many 1/2 pieces make one whole?	2 — It takes 2 copies of 1/2 to make 1 whole: $2 \times 1/2 = 2/2 = 1$.
A whole strip is split into 4 equal parts. What fraction is ONE part?	1/4 — When a whole is cut into 4 equal parts, each part is 1/4. The bottom number (4) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 4 equal parts. What fraction is ONE part?	1/4 — When a whole is cut into 4 equal parts, each part is 1/4. The bottom number (4) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 5 equal parts. What fraction is ONE part?	1/5 — When a whole is cut into 5 equal parts, each part is 1/5. The bottom number (5) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 5 equal parts. What fraction is ONE part?	1/5 — When a whole is cut into 5 equal parts, each part is 1/5. The bottom number (5) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 2 equal parts. What fraction is ONE part?	1/2 — When a whole is cut into 2 equal parts, each part is 1/2. The bottom number (2) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 2 equal parts. What fraction is ONE part?	1/2 — When a whole is cut into 2 equal parts, each part is 1/2. The bottom number (2) tells how many equal parts make the whole; the top (1) says you have one of them.
How many 1/4 pieces make one whole?	4 — It takes 4 copies of 1/4 to make 1 whole: $4 \times 1/4 = 4/4 = 1$.
How many 1/6 pieces make one whole?	6 — It takes 6 copies of 1/6 to make 1 whole: $6 \times 1/6 = 6/6 = 1$.
A whole strip is split into 3	1/3 — When a whole is cut into 3 equal parts, each part is 1/3. The bottom number

equal parts. What fraction is ONE part?	(3) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 3 equal parts. What fraction is ONE part?	1/3 — When a whole is cut into 3 equal parts, each part is $\frac{1}{3}$. The bottom number (3) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 3 equal parts. What fraction is ONE part?	1/3 — When a whole is cut into 3 equal parts, each part is $\frac{1}{3}$. The bottom number (3) tells how many equal parts make the whole; the top (1) says you have one of them.
A whole strip is split into 3 equal parts. What fraction is ONE part?	1/3 — When a whole is cut into 3 equal parts, each part is $\frac{1}{3}$. The bottom number (3) tells how many equal parts make the whole; the top (1) says you have one of them.
How many $\frac{1}{5}$ pieces make one whole?	5 — It takes 5 copies of $\frac{1}{5}$ to make 1 whole: $5 \times \frac{1}{5} = \frac{5}{5} = 1$.
How many $\frac{1}{3}$ pieces make one whole?	3 — It takes 3 copies of $\frac{1}{3}$ to make 1 whole: $3 \times \frac{1}{3} = \frac{3}{3} = 1$.

7. Fractions on the Line

⌂ Question (fold →)	Answer
On a number line from 0 to 1 split into 8 equal jumps, you land on the 5th jump from 0. What number are you on?	5/8 — From 0, each equal jump is 1/8. After 5 jumps you are at 5/8. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
On a number line from 0 to 1 split into 2 equal jumps, you land on the 1st jump from 0. What number are you on?	1/2 — From 0, each equal jump is 1/2. After 1 jumps you are at 1/2. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
Predict: on the same number line, which is FARTHER from 0, 1/4 or 3/4?	3/4 — With the same bottom number, both use 1/4 jumps, so more jumps = farther. 3/4 is farther from 0 than 1/4. Predict, then count the jumps to check (predict-observe-explain).
On a number line from 0 to 1 split into 8 equal jumps, you land on the 1st jump from 0. What number are you on?	1/8 — From 0, each equal jump is 1/8. After 1 jumps you are at 1/8. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
Predict: on the same number line, which is FARTHER from 0, 1/6 or 5/6?	5/6 — With the same bottom number, both use 1/6 jumps, so more jumps = farther. 5/6 is farther from 0 than 1/6. Predict, then count the jumps to check (predict-observe-explain).
Predict: on the same number line, which is FARTHER from 0, 2/3 or 1/3?	2/3 — With the same bottom number, both use 1/3 jumps, so more jumps = farther. 2/3 is farther from 0 than 1/3. Predict, then count the jumps to check (predict-observe-explain).
Predict: on the same number line, which is FARTHER from 0, 2/8 or 1/8?	2/8 — With the same bottom number, both use 1/8 jumps, so more jumps = farther. 2/8 is farther from 0 than 1/8. Predict, then count the jumps to check (predict-observe-explain).
Predict: on the same number line, which is FARTHER from 0, 3/8 or 1/8?	3/8 — With the same bottom number, both use 1/8 jumps, so more jumps = farther. 3/8 is farther from 0 than 1/8. Predict, then count the jumps to check (predict-observe-explain).
Predict: on the same number line, which is FARTHER from 0, 3/8 or 1/8?	3/8 — With the same bottom number, both use 1/8 jumps, so more jumps = farther. 3/8 is farther from 0 than 1/8. Predict, then count the jumps to check (predict-observe-explain).
On a number line from 0 to 1 split into 4 equal jumps, you land on the 3rd jump from 0. What number are you on?	3/4 — From 0, each equal jump is 1/4. After 3 jumps you are at 3/4. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
Predict: on the same number line, which is FARTHER from 0, 4/8 or 1/8?	4/8 — With the same bottom number, both use 1/8 jumps, so more jumps = farther. 4/8 is farther from 0 than 1/8. Predict, then count the jumps to check (predict-observe-explain).
Predict: on the same number line, which is FARTHER from 0, 3/6 or 1/6?	3/6 — With the same bottom number, both use 1/6 jumps, so more jumps = farther. 3/6 is farther from 0 than 1/6. Predict, then count the jumps to check (predict-observe-explain).
On a number line from 0 to 1 split into 4 equal jumps, you land on the 2nd jump from 0. What number are you on?	2/4 — From 0, each equal jump is 1/4. After 2 jumps you are at 2/4. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.

On a number line from 0 to 1 split into 8 equal jumps, you land on the 6th jump from 0. What number are you on?	6/8 — From 0, each equal jump is $\frac{1}{8}$. After 6 jumps you are at $\frac{6}{8}$. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
On a number line from 0 to 1 split into 6 equal jumps, you land on the 4th jump from 0. What number are you on?	4/6 — From 0, each equal jump is $\frac{1}{6}$. After 4 jumps you are at $\frac{4}{6}$. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
Predict: on the same number line, which is FARTHER from 0, $\frac{5}{6}$ or $\frac{1}{6}$?	5/6 — With the same bottom number, both use $\frac{1}{6}$ jumps, so more jumps = farther. $\frac{5}{6}$ is farther from 0 than $\frac{1}{6}$. Predict, then count the jumps to check (predict-observe-explain).
Predict: on the same number line, which is FARTHER from 0, $\frac{1}{3}$ or $\frac{2}{3}$?	2/3 — With the same bottom number, both use $\frac{1}{3}$ jumps, so more jumps = farther. $\frac{2}{3}$ is farther from 0 than $\frac{1}{3}$. Predict, then count the jumps to check (predict-observe-explain).
On a number line from 0 to 1 split into 6 equal jumps, you land on the 2nd jump from 0. What number are you on?	2/6 — From 0, each equal jump is $\frac{1}{6}$. After 2 jumps you are at $\frac{2}{6}$. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
On a number line from 0 to 1 split into 8 equal jumps, you land on the 7th jump from 0. What number are you on?	7/8 — From 0, each equal jump is $\frac{1}{8}$. After 7 jumps you are at $\frac{7}{8}$. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
On a number line from 0 to 1 split into 8 equal jumps, you land on the 7th jump from 0. What number are you on?	7/8 — From 0, each equal jump is $\frac{1}{8}$. After 7 jumps you are at $\frac{7}{8}$. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.

8. Tiling & Area

⌂ Question (fold →)	Answer
A rectangle is tiled with unit squares: 6 rows of 2 squares. What is its area in square units?	12 — Tiling makes area a multiplication array: $6 \times 2 = 12$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 7 rows of 7 squares. What is its area in square units?	49 — Tiling makes area a multiplication array: $7 \times 7 = 49$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 5 rows of 2 squares. What is its area in square units?	10 — Tiling makes area a multiplication array: $5 \times 2 = 10$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 8 rows of 7 squares. What is its area in square units?	56 — Tiling makes area a multiplication array: $8 \times 7 = 56$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 6 rows of 3 squares. What is its area in square units?	18 — Tiling makes area a multiplication array: $6 \times 3 = 18$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 2 rows of 5 squares. What is its area in square units?	10 — Tiling makes area a multiplication array: $2 \times 5 = 10$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 4 rows of 6 squares. What is its area in square units?	24 — Tiling makes area a multiplication array: $4 \times 6 = 24$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 7 rows of 8 squares. What is its area in square units?	56 — Tiling makes area a multiplication array: $7 \times 8 = 56$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 4 rows of 3 squares. What is its area in square units?	12 — Tiling makes area a multiplication array: $4 \times 3 = 12$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 6 rows of 8 squares. What is its area in square units?	48 — Tiling makes area a multiplication array: $6 \times 8 = 48$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 8 rows of 5 squares. What is its area in square units?	40 — Tiling makes area a multiplication array: $8 \times 5 = 40$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 7 rows of 5 squares. What is its area in square units?	35 — Tiling makes area a multiplication array: $7 \times 5 = 35$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 2 rows of 6 squares. What is its area in square units?	12 — Tiling makes area a multiplication array: $2 \times 6 = 12$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.

A rectangle is tiled with unit squares: 6 rows of 5 squares. What is its area in square units?	30 — Tiling makes area a multiplication array: $6 \times 5 = 30$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 2 rows of 8 squares. What is its area in square units?	16 — Tiling makes area a multiplication array: $2 \times 8 = 16$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 6 rows of 6 squares. What is its area in square units?	36 — Tiling makes area a multiplication array: $6 \times 6 = 36$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 8 rows of 4 squares. What is its area in square units?	32 — Tiling makes area a multiplication array: $8 \times 4 = 32$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 7 rows of 6 squares. What is its area in square units?	42 — Tiling makes area a multiplication array: $7 \times 6 = 42$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 3 rows of 6 squares. What is its area in square units?	18 — Tiling makes area a multiplication array: $3 \times 6 = 18$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.
A rectangle is tiled with unit squares: 8 rows of 2 squares. What is its area in square units?	16 — Tiling makes area a multiplication array: $8 \times 2 = 16$ square units. Area IS rows $\times$ columns — the same array Arlo builds, now covering a rectangle.

9. Area vs Perimeter

⌕ Question (fold →)	Answer
To find how many unit squares of carpet cover a 6-by-8 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($6 \times 8 = 48$). Perimeter (28) would only tell you the length around the edge, like a fence, not the space covered.
To find how many unit squares of carpet cover a 4-by-4 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($4 \times 4 = 16$). Perimeter (16) would only tell you the length around the edge, like a fence, not the space covered.
A rectangle is 6 units tall and 5 units wide. What is its PERIMETER (distance all the way around)?	22 — Perimeter is the distance around: $6+5+6+5 = 22$ units. That's different from area ($6 \times 5 = 30$ square units) — perimeter is a length around the edge, area is the tiles inside.
To find how many unit squares of carpet cover a 7-by-8 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($7 \times 8 = 56$). Perimeter (30) would only tell you the length around the edge, like a fence, not the space covered.
A rectangle is 7 units tall and 2 units wide. What is its PERIMETER (distance all the way around)?	18 — Perimeter is the distance around: $7+2+7+2 = 18$ units. That's different from area ($7 \times 2 = 14$ square units) — perimeter is a length around the edge, area is the tiles inside.
A rectangle is 8 units tall and 2 units wide. What is its PERIMETER (distance all the way around)?	20 — Perimeter is the distance around: $8+2+8+2 = 20$ units. That's different from area ($8 \times 2 = 16$ square units) — perimeter is a length around the edge, area is the tiles inside.
A rectangle is 3 units tall and 6 units wide. What is its PERIMETER (distance all the way around)?	18 — Perimeter is the distance around: $3+6+3+6 = 18$ units. That's different from area ($3 \times 6 = 18$ square units) — perimeter is a length around the edge, area is the tiles inside.
A rectangle is 7 units tall and 4 units wide. What is its PERIMETER (distance all the way around)?	22 — Perimeter is the distance around: $7+4+7+4 = 22$ units. That's different from area ($7 \times 4 = 28$ square units) — perimeter is a length around the edge, area is the tiles inside.
To find how many unit squares of carpet cover a 2-by-6 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($2 \times 6 = 12$). Perimeter (16) would only tell you the length around the edge, like a fence, not the space covered.
To find how many unit squares of carpet cover a 8-by-5 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($8 \times 5 = 40$). Perimeter (26) would only tell you the length around the edge, like a fence, not the space covered.
A rectangle is 7 units tall and 7 units wide. What is its PERIMETER (distance all the way around)?	28 — Perimeter is the distance around: $7+7+7+7 = 28$ units. That's different from area ($7 \times 7 = 49$ square units) — perimeter is a length around the edge, area is the tiles inside.
To find how many unit squares of carpet cover a 4-by-8 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($4 \times 8 = 32$). Perimeter (24) would only tell you the length around the edge, like a fence, not the space covered.
A rectangle is 8 units tall and 4 units wide. What is its PERIMETER (distance all the way around)?	24 — Perimeter is the distance around: $8+4+8+4 = 24$ units. That's different from area ($8 \times 4 = 32$ square units) — perimeter is a length around the edge, area is the tiles inside.

To find how many unit squares of carpet cover a 4-by-2 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($4 \times 2 = 8$). Perimeter (12) would only tell you the length around the edge, like a fence, not the space covered.
To find how many unit squares of carpet cover a 3-by-2 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($3 \times 2 = 6$). Perimeter (10) would only tell you the length around the edge, like a fence, not the space covered.
To find how many unit squares of carpet cover a 2-by-3 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($2 \times 3 = 6$). Perimeter (10) would only tell you the length around the edge, like a fence, not the space covered.
To find how many unit squares of carpet cover a 5-by-6 room, do you need the area or the perimeter?	Area — Covering the floor needs AREA — the number of unit squares inside ($5 \times 6 = 30$). Perimeter (22) would only tell you the length around the edge, like a fence, not the space covered.
A rectangle is 5 units tall and 8 units wide. What is its PERIMETER (distance all the way around)?	26 — Perimeter is the distance around: $5+8+5+8 = 26$ units. That's different from area ($5 \times 8 = 40$ square units) — perimeter is a length around the edge, area is the tiles inside.
A rectangle is 5 units tall and 3 units wide. What is its PERIMETER (distance all the way around)?	16 — Perimeter is the distance around: $5+3+5+3 = 16$ units. That's different from area ($5 \times 3 = 15$ square units) — perimeter is a length around the edge, area is the tiles inside.
A rectangle is 6 units tall and 3 units wide. What is its PERIMETER (distance all the way around)?	18 — Perimeter is the distance around: $6+3+6+3 = 18$ units. That's different from area ($6 \times 3 = 18$ square units) — perimeter is a length around the edge, area is the tiles inside.

10. Till It Pops

✂ Question (fold →)	Answer
$18 \div 6 = ?$	3 — $18 \div 6 = 3$ because $3 \times 6 = 18$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$18 \div 2 = ?$	9 — $18 \div 2 = 9$ because $9 \times 2 = 18$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$2 \times 3 = ?$	6 — $2 \times 3 = 6$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
$24 \div 3 = ?$	8 — $24 \div 3 = 8$ because $8 \times 3 = 24$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$7 \times 10 = ?$	70 — $7 \times 10 = 70$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
$60 \div 10 = ?$	6 — $60 \div 10 = 6$ because $6 \times 10 = 60$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$8 \div 4 = ?$	2 — $8 \div 4 = 2$ because $2 \times 4 = 8$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$27 \div 9 = ?$	3 — $27 \div 9 = 3$ because $3 \times 9 = 27$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$4 \times 8 = ?$	32 — $4 \times 8 = 32$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
$7 \times 4 = ?$	28 — $7 \times 4 = 28$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
$56 \div 8 = ?$	7 — $56 \div 8 = 7$ because $7 \times 8 = 56$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$9 \times 6 = ?$	54 — $9 \times 6 = 54$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
$5 \times 6 = ?$	30 — $5 \times 6 = 30$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
$10 \div 2 = ?$	5 — $10 \div 2 = 5$ because $5 \times 2 = 10$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$18 \div 9 = ?$	2 — $18 \div 9 = 2$ because $2 \times 9 = 18$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$81 \div 9 = ?$	9 — $81 \div 9 = 9$ because $9 \times 9 = 81$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
$10 \times 2 = ?$	20 — $10 \times 2 = 20$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
	40 — $10 \times 4 = 40$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-

$10 \times 4 = ?$	apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
$5 \times 8 = ?$	40 — $5 \times 8 = 40$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
$6 \times 2 = ?$	12 — $6 \times 2 = 12$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.

11. Workshop Mix

⌂ Question (fold →)	Answer
You know $6 \times 9 = 54$. So $54 \div 9 = ?$	6 — 6, 9, and 54 are one fact family: $6 \times 9 = 54$ and $54 \div 9 = 6$. Knowing the multiplication fact gives you the division fact free.
$21 \div 7 = ?$	3 — $21 \div 7 = 3$ because $3 \times 7 = 21$. Every division fact rides on the multiplication fact you know — practice till it pops, never against a clock.
Which break-apart helps you find 8×9 using easier facts?	(5 × 9) + (3 × 9) — Split 8 into 5 + 3, then multiply each part by 9: $(5 \times 9) + (3 \times 9)$. Both parts use the same 9, and $45 + 27 = 72 = 8 \times 9$.
There are 3 baskets. Each basket holds 6 apples. How many apples in all?	18 — 3 equal groups of 6 is $3 \times 6 = 18$. Building it as an array — 3 rows with 6 in each row — shows why: every row is the same, so you add 6 a total of 3 times.
A rectangle is tiled with unit squares: 7 rows of 2 squares. What is its area in square units?	14 — Tiling makes area a multiplication array: $7 \times 2 = 14$ square units. Area is rows × columns — the same array Arlo builds, now covering a rectangle.
There are 6 baskets. Each basket holds 8 apples. How many apples in all?	48 — 6 equal groups of 8 is $6 \times 8 = 48$. Building it as an array — 6 rows with 8 in each row — shows why: every row is the same, so you add 8 a total of 6 times.
A rectangle is tiled with unit squares: 2 rows of 3 squares. What is its area in square units?	6 — Tiling makes area a multiplication array: $2 \times 3 = 6$ square units. Area is rows × columns — the same array Arlo builds, now covering a rectangle.
$10 \times 5 = ?$	50 — $10 \times 5 = 50$. Fluent means it pops to mind — and if it doesn't yet, a strategy (skip-count or break-apart) always gets you there. No timer, no rush; a miss is just a friendly retry.
You know $10 \times 3 = 30$. So $30 \div 3 = ?$	10 — 10, 3, and 30 are one fact family: $10 \times 3 = 30$ and $30 \div 3 = 10$. Knowing the multiplication fact gives you the division fact free.
There are 7 baskets. Each basket holds 4 apples. How many apples in all?	28 — 7 equal groups of 4 is $7 \times 4 = 28$. Building it as an array — 7 rows with 4 in each row — shows why: every row is the same, so you add 4 a total of 7 times.
To find 8×6 , split it: $(5 \times 6) + (3 \times 6) = 30 + 18 = ?$	48 — $8 \times 6 = (5+3) \times 6 = 30 + 18 = 48$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.
You know $10 \times 5 = 50$. So $50 \div 5 = ?$	10 — 10, 5, and 50 are one fact family: $10 \times 5 = 50$ and $50 \div 5 = 10$. Knowing the multiplication fact gives you the division fact free.
Predict: on the same number line, which is FARTHER from 0, $3/6$ or $1/6$?	3/6 — With the same bottom number, both use $1/6$ jumps, so more jumps = farther. $3/6$ is farther from 0 than $1/6$. Predict, then count the jumps to check (predict-observe-explain).
There are 10 baskets. Each basket holds 6 apples. How many apples in all?	60 — 10 equal groups of 6 is $10 \times 6 = 60$. Building it as an array — 10 rows with 6 in each row — shows why: every row is the same, so you add 6 a total of 10 times.
On a number line from 0 to 1 split into 4	3/4 — From 0, each equal jump is $1/4$. After 3 jumps you are at $3/4$.

equal jumps, you land on the 3rd jump from 0. What number are you on?	On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
On a number line from 0 to 1 split into 8 equal jumps, you land on the 1st jump from 0. What number are you on?	1/8 — From 0, each equal jump is 1/8. After 1 jumps you are at 1/8. On a number line a fraction is a NUMBER — a point — not just a piece of a shape.
How many 1/2 pieces make one whole?	2 — It takes 2 copies of 1/2 to make 1 whole: $2 \times 1/2 = 2/2 = 1$.
A whole strip is split into 8 equal parts. What fraction is ONE part?	1/8 — When a whole is cut into 8 equal parts, each part is 1/8. The bottom number (8) tells how many equal parts make the whole; the top (1) says you have one of them.
How many 1/8 pieces make one whole?	8 — It takes 8 copies of 1/8 to make 1 whole: $8 \times 1/8 = 8/8 = 1$.
To find 8×8 , split it: $(5 \times 8) + (3 \times 8) = 40 + 24 = ?$	64 — $8 \times 8 = (5+3) \times 8 = 40 + 24 = 64$. Breaking a hard fact into two facts you already know is the break-apart strategy — it builds toward remembering the fact.

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